

| ÓBUDA UNIVERSITY  |                   |   |                     |           |                  |            |
|---|-------------------|---|---------------------|-----------|------------------|------------|
| John von Neumann  |                   | Faculty   | Applied Mathematics |           | Institute        |            |
| Hungarian title of the course:  |                   | Diszkrét matematika   |                     |           | Neptun code:     | NMXDM1PMNE |
| English title of the course:  |                   | Discrete mathematics  |                     |           | Credit:          | 5          |
| Type (compulsory/obligatory):   |                   | compulsory  | Education Type      | Full-time | Semester :       | 2021-22 1. |
| Study field:  |                   | Combinatorics, graph theory   |                     |           |                  |            |
| Lecturer:   | Dr. Gábor Hegedüs |   |                     |           |                  |            |
| Required preliminary knowledge:   |                   | -   |                     |           |                  |            |
| Weekly teaching hours:  | Lecture:          | 2   | Practical work:     | 1         | Laboratory work: | 0          |
| Exam type:  |                   | w   | Language of course: | English   | In timetable:    | y          |
| CURRICULUM  |                   |   |                     |           |                  |            |
| <i>Abstract:</i>  |                   |   |                     |           |                  |            |
| <p>Principle of mathematical induction, pigeonhole principle, principle of inclusion and exclusion, Permutations, variations and combinations, binomial theorem, Generating functions and their basic properties, Linear recurrence relations, Stirling, Catalan, Bell and Fibonacci sequences, The basic properties of graphs, subgraphs, complements and graph isomorphism Trees, forests, Prüfer code, Euler trails and circuits, Hamilton path and cycles, Ore's theorem, Posa's theorem, extreme graph theory, Turán's theorem, Graph coloring, Brooks' theorem, Vizing's theorem, perfect graphs, planar graphs, dual graphs, Kuratowski's theorem, Matching theory, Hall's theorem, König's theorem, Gallai's theorem, Hungarian method, flows, max-flow min-cut theorem</p> |                   |   |                     |           |                  |            |
| <i>Detailed schedule of the course:</i>   |                   |   |                     |           |                  |            |
| <i>Topics of lectures:</i>  |                   |   |                     |           |                  |            |
| No.   | Date              | Description   |                     |           |                  |            |
| 1.  | 09.09             | Principle of mathematical induction, pigeonhole principle, principle of inclusion and exclusion |                     |           |                  |            |
| 2.  | 16.09             | Permutations, variations and combinations, binomial theorem                                     |                     |           |                  |            |
| 3.  | 23.09             | Generating functions and their basic properties   |                     |           |                  |            |
| 4.  | 30.09             | Linear recurrence relations   |                     |           |                  |            |
| 5.  | 07.10             | Stirling, Catalan, Bell and Fibonacci sequences   |                     |           |                  |            |
| 6.  | 14. 10            | First midhalf test  |                     |           |                  |            |